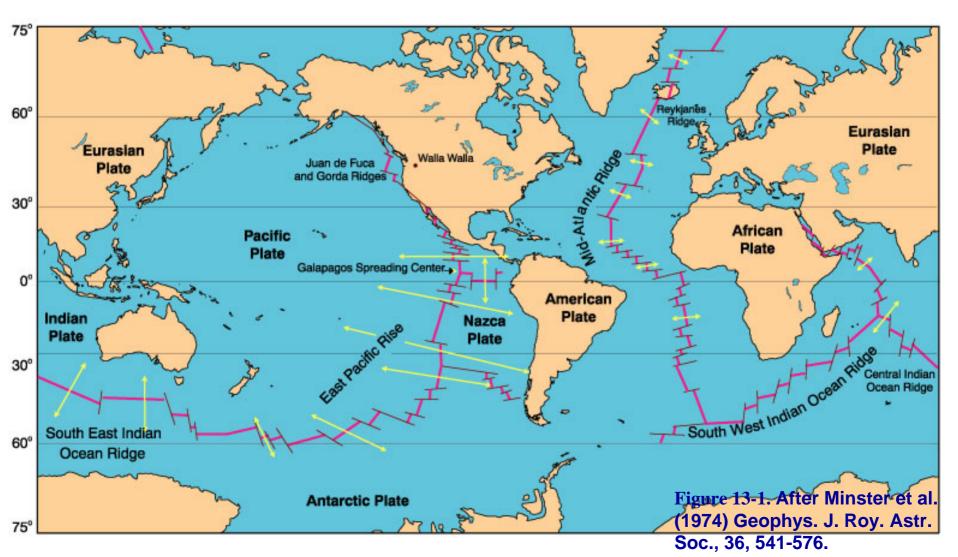
Announcements

- •Presentations today?
- •Homework (5) due today
- •Reading: p.260-269
- •Last Homework up on web tomorrow.

Chapter 13: Mid-Ocean Rifts

The Mid-Ocean Ridge System



Ridge Segments and Spreading Rates

 Table 13-1.
 Spreading Rates of Some Mid-Ocean

 Ridge Segments

Category	Ridge	Latitude	Rate (cm/a)*
Fast	East Pacific Rise	21-23°N	3
		13⁰N	5.3
		11°N	5.6
		8-9°N	6
		2°N	6.3
		20-21°S	8
		33°S	5.5
		54°S	4
		56°S	4.6
Slow	Indian Ocean	SW	1
		SE	3-3.7
		Central	0.9
	Mid-Atlantic Ridge	85°N	0.6
		45°N	1-3
		36°N	2.2
		23°N	1.3
		48°S	1.8

From Wilson (1989). Data from Hekinian (1982), Sclater et al.

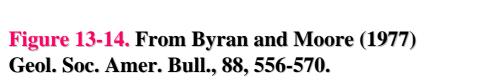
(1976), Jackson and Reid (1983). *half spreading

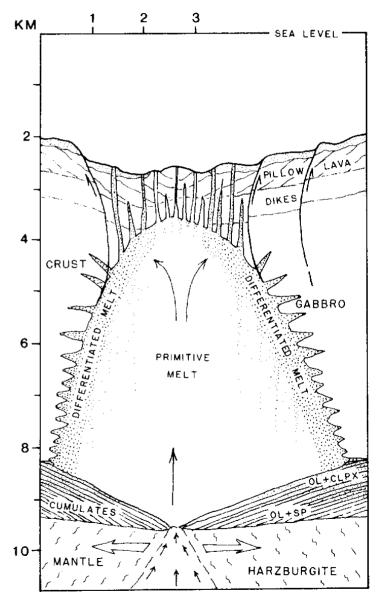
- Slow-spreading ridges:
 - < 3 cm/a
- Fast-spreading ridges:
 - > 4 cm/a are considered
- Temporal variations are also known

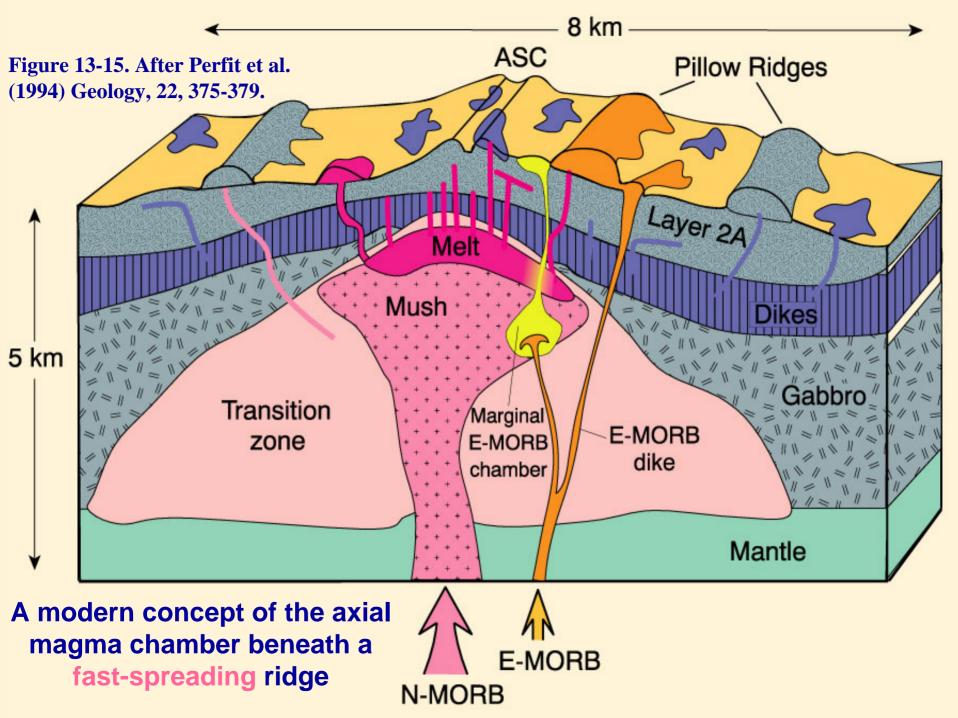
The Axial Magma Chamber

Original Model

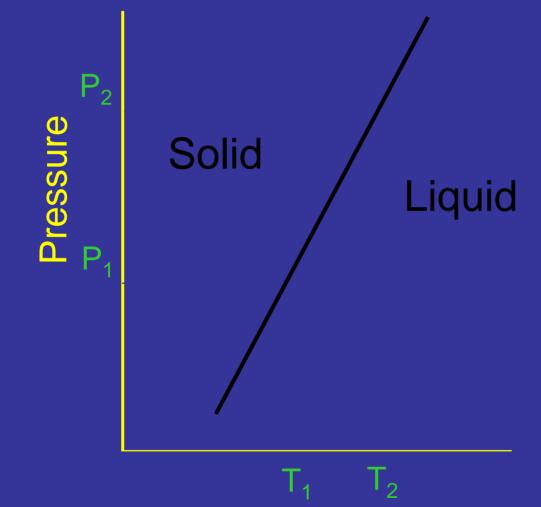
- Semi-permanent
- Large
- Periodic reinjection of fresh, primitive MORB from below
- Dikes upward through the extending and faulting roof







The Effect of Pressure on (dry) melting behavior



Temperature

Eutectic system 1600 1500 1 GPa 1400 1300 1 atm (0.1 MPa) 1200 20 40 80 60 An Di Weight %

Figure 7-16. Effect of lithostatic pressure on the liquidus and eutectic composition in the diopsideanorthite system. 1 GPa data from Presnall *et al.* (1978). Contr. Min. Pet., 66, 203-220.

How does the mantle melt??

1) Increase the temperature

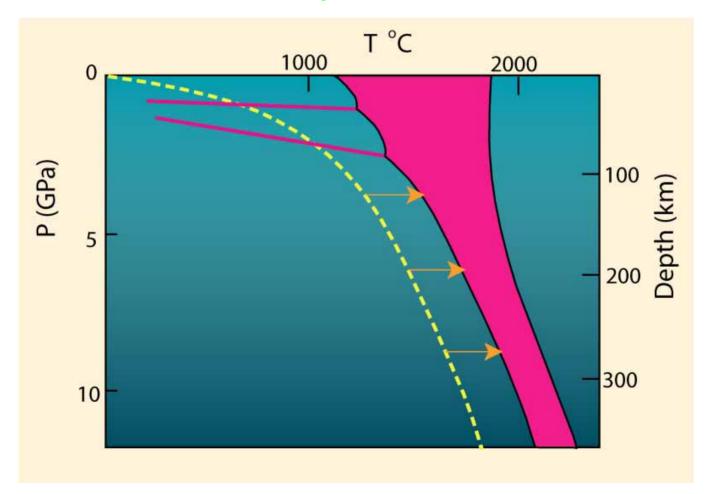


Figure 10-3. Melting by raising the temperature.

How does the mantle melt?? 2)Add volatiles (H_2O , CO_2)

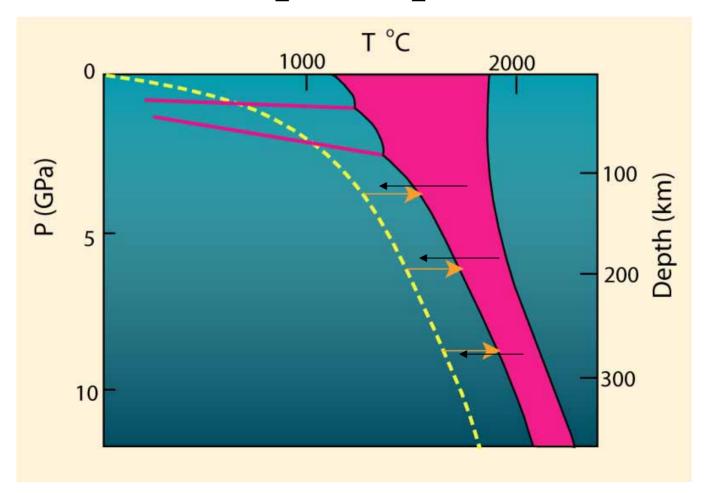


Figure 10-3. Melting by raising the temperature.

- 3) Lower the pressure
 - Adiabatic rise of mantle with no conductive heat loss

Decompression melting could melt at least 30%

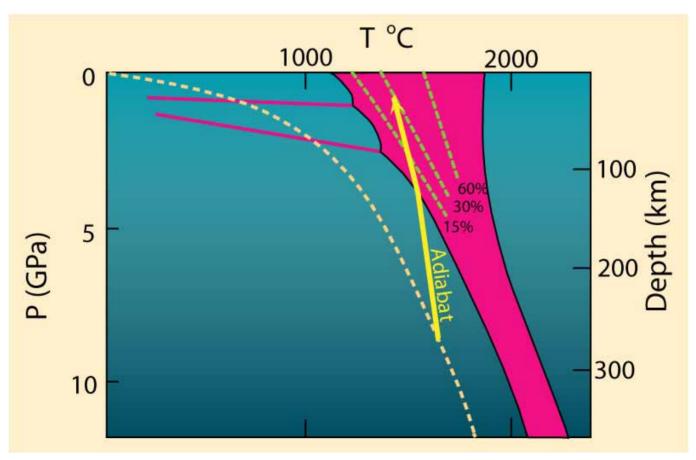


Figure 10-4. Melting by (adiabatic) pressure reduction. Melting begins when the adiabat crosses the solidus and traverses the shaded melting interval. Dashed lines represent approximate % melting.

How does melting happen at MOR?

• Or, whoops, wrong variables.

Went about minimizing Gibbs Free Energy (measure of chemical energy)

Good old Pressure and Temperature have been our independent variables so far

Why?

Fractional crystallization and melting ~ constant P, decrease T

Thermodynamics of mantle melting

 1st law of thermodynamics: energy is conserved

$$dU = q + w$$

w = -PdV

- Definition of enthalpy (heat energy)
 H = U + PV
 dH = dU + d(PV)
 dH = dU + VdP + PdV
- dH = q PdV + VdP + PdV

Mantle melting model

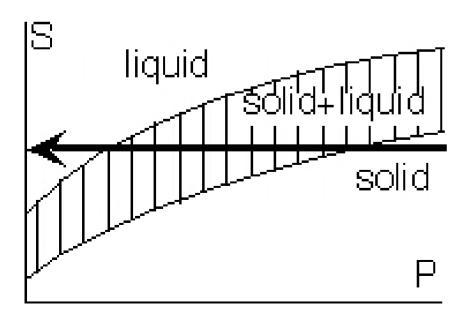
- dH = q + VdP
- Second Law: q = TdS for reversible processes

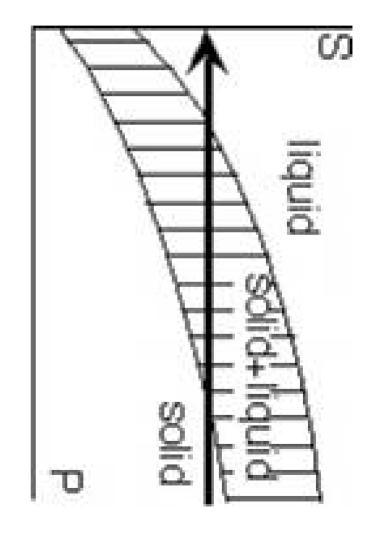
• dH = TdS + VdP

• Adiabatic : dq = 0 so dS = 0.

New variables

- No heat enters or leaves the system
- Minimizing ΔH , not $\Delta G (\Delta H = q_P)$





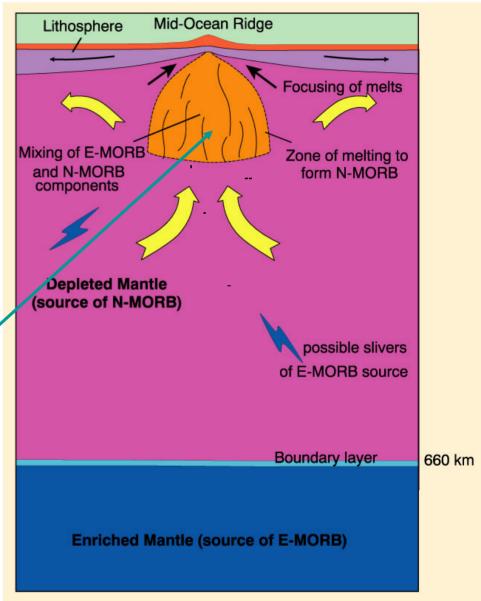
P. Asimow

MORB Petrogenesis

Generation

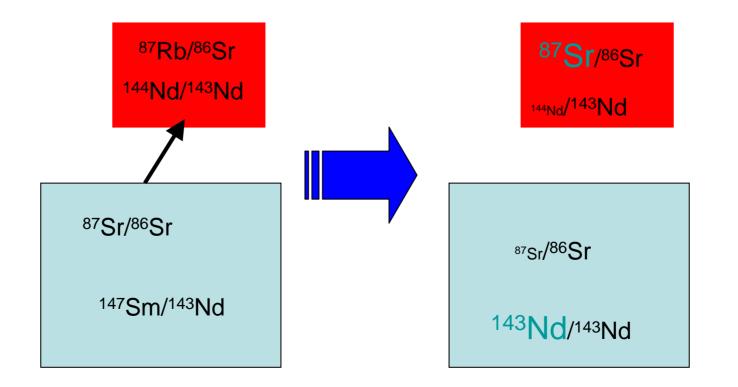
- Separation of the plates
- Upward motion of mantle material into extended zone
- Decompression partial melting associated with near-adiabatic rise
- N-MORB melting initiated ~ 60-80 km depth in upper depleted mantle where it inherits depleted trace element and isotopic char.
- Adiabatic = constant heat content
- "Decompression melting"

Figure 13-13. After Zindler et al. (1984) Earth Planet. Sci. Lett., 70, 175-195. and Wilson (1989) Igneous Petrogenesis, Kluwer.



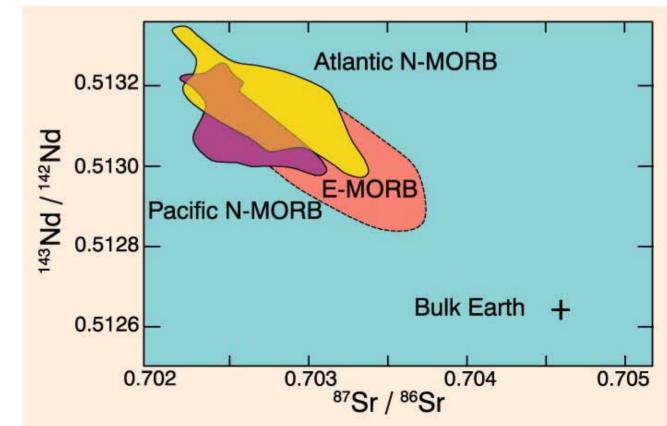
Using Rb-Sr and Sm-Nd as tracers

- ${}^{87}\text{Rb} \rightarrow {}^{87}\text{Sr} + \beta$ $t_{1/2} = 48$ billion years ${}^{86}\text{Sr}$ stable
- ${}^{147}\text{Sm} \rightarrow {}^{143}\text{Nd} + \alpha \ t_{1/2} = 106 \text{ billion years } {}^{144}\text{Nd stable}$



- N-MORBs: 87 Sr/ 86 Sr < 0.7035 and 143 Nd/ 144 Nd > 0.5030, \rightarrow depleted mantle source
- E-MORBs extend to more enriched values → stronger support distinct mantle reservoirs for Ntype and E-type MORBs

Figure 13-12. Data from Ito et al. (1987) Chemical Geology, 62, 157-176; and LeRoex et al. (1983) J. Petrol., 24, 267-318.



Gibbs Free Energy

Gibbs free energy is a measure of chemical energy

All chemical systems tend naturally toward states of minimum Gibbs free energy

G = H - TS

Where:

- G = Gibbs Free Energy
- H = Enthalpy (heat content)
- T = Temperature in Kelvins
- S = Entropy (can think of as randomness)

Gibbs Free Energy

The change in some property, such as G for a reaction of the type:

$$\begin{split} &2 \text{ A} + 3 \text{ B} = \text{C} + 4 \text{ D} \\ &\Delta \text{G} = \Sigma (\text{n} \text{ G})_{\text{products}} - \Sigma(\text{n} \text{ G})_{\text{reactants}} \\ &= \text{G}_{\text{C}} + 4\text{G}_{\text{D}} - 2\text{G}_{\text{A}} - 3\text{G}_{\text{B}} \end{split}$$

- Is negative when products are more stable than reactants
- Is positive when the other way around