

Space Weathering

DJ 4/28

- ① Freshly pulverized lunar rocks have higher albedo than regolith from same place
- ① On Moon, young surfaces (eg rays) have higher albedo than old.

→ darkening mechanism

- ② Older surfaces redden

→ reddening mechanism

- ③ Mineral absorption bands weaken with age

→ band weakening mechanism

Related - meteorite spectra have few or no exact counterparts in their supposed source region = the asteroid belt. Why?

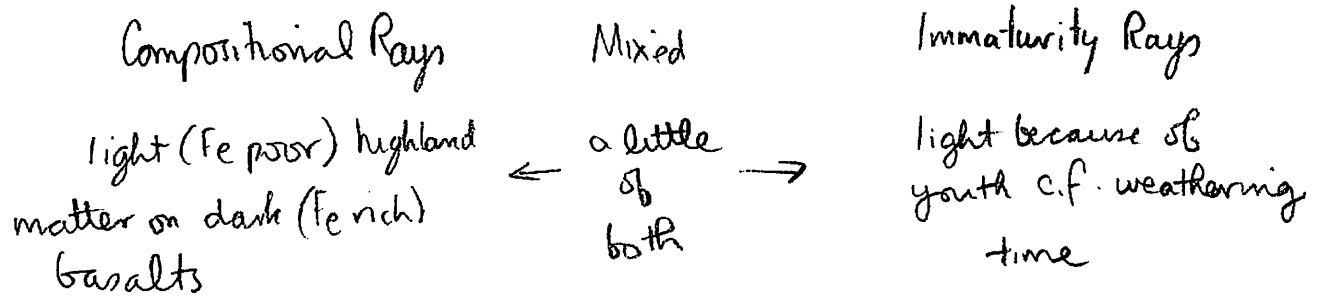
Ideas

- ①. Vitricification by impact
- ②. Solar wind & CR "damage" (- but what?)
- ③. Nanophase iron deposits

③ seems to be an important process but there is evidence also for ②. ① is widely held to have been an experimental mistake.

Lunar Rays (Hawke et al 2004)

Three Types



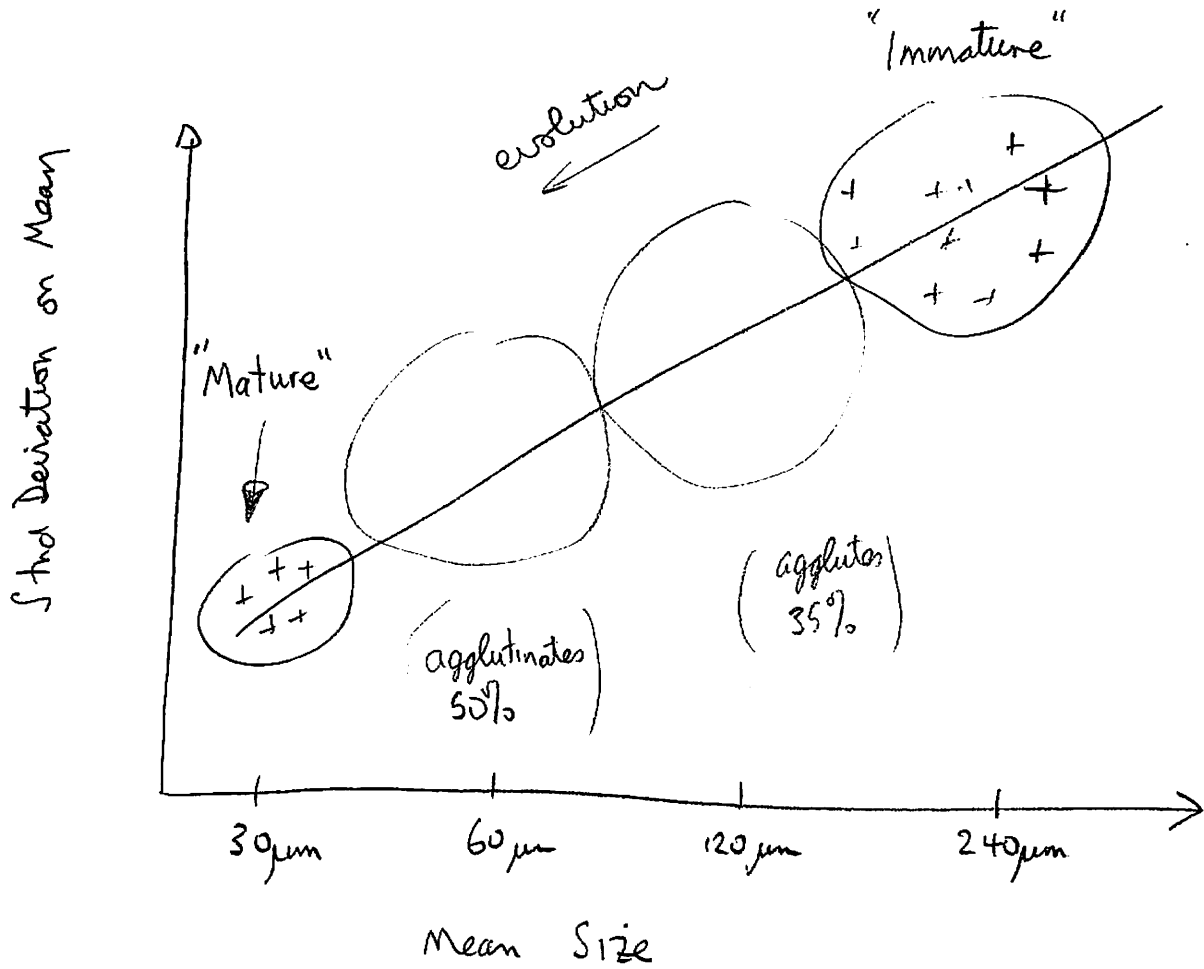
Compositional rays may survive > 6 Gyr; depends on mixing
& dilution timescale

Immaturity rays may have $1/2$ life $\sim 500 - 800$ Myr.
Uncertain

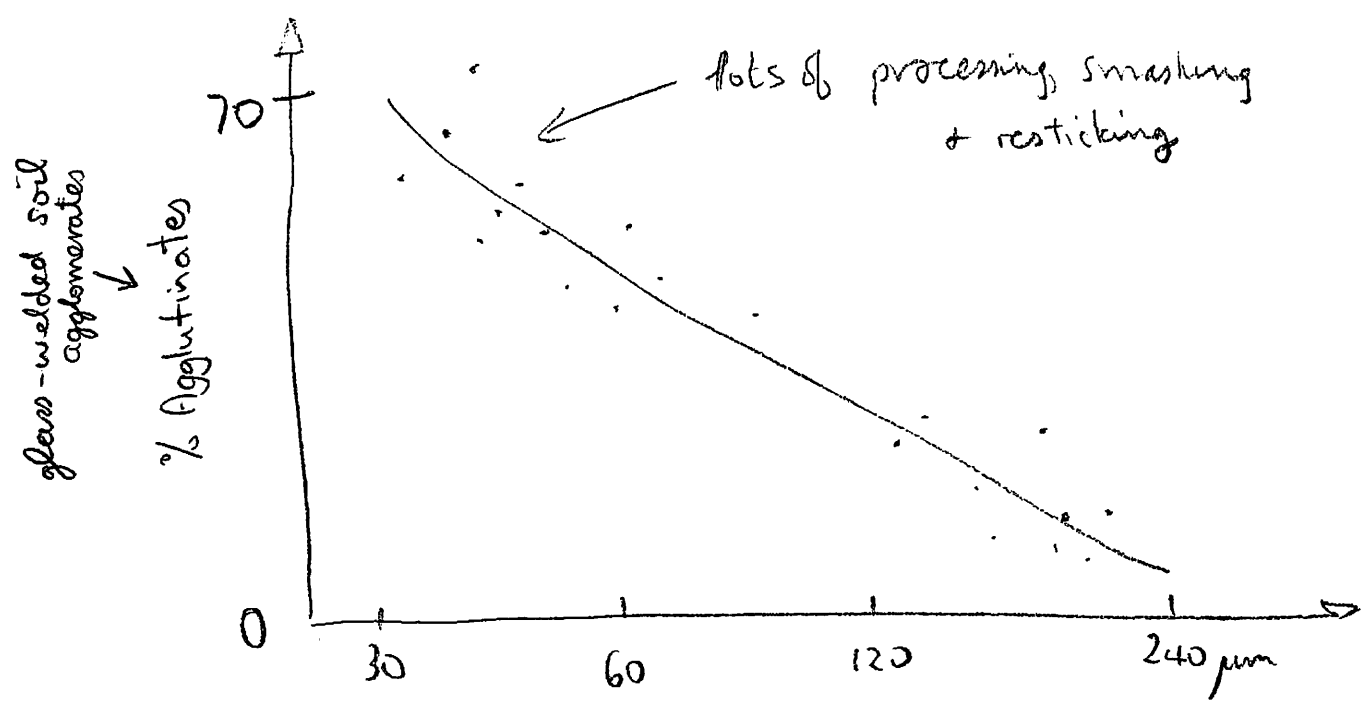
Mixed \rightarrow Compositional, over time

⊕ Rays do not necessarily imply youth

Lunar Samples

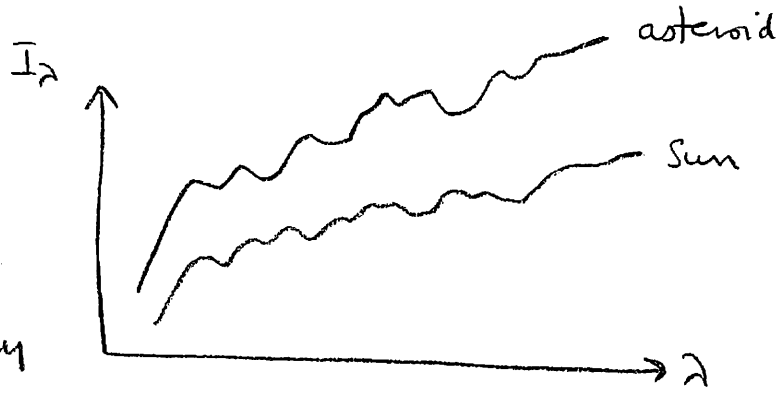


McKay et al (1974)



Asteroids

Spectrum in reflection is product of solar spectrum x reflection efficiency



Use "reflectivity" $S = \frac{I_\lambda(\text{asteroid})}{I_\lambda(\text{sun})}$ |_n
 ↑
 normalised to 1
 @ some wavelength

and also $S' = \frac{dS}{d\lambda} =$ "reflectivity gradient"

$S'' = \frac{d^2S}{d\lambda^2} =$ "reflectivity curvature"

$S' = 0 =$ sun-colored or "neutral" spectrum

$S' < 0 =$ blue

$S' > 0 =$ red

Also use "colors" from astronomical magnitude data eg. B-V, V-R, R-I, J-K etc. but these are sometimes confusing.

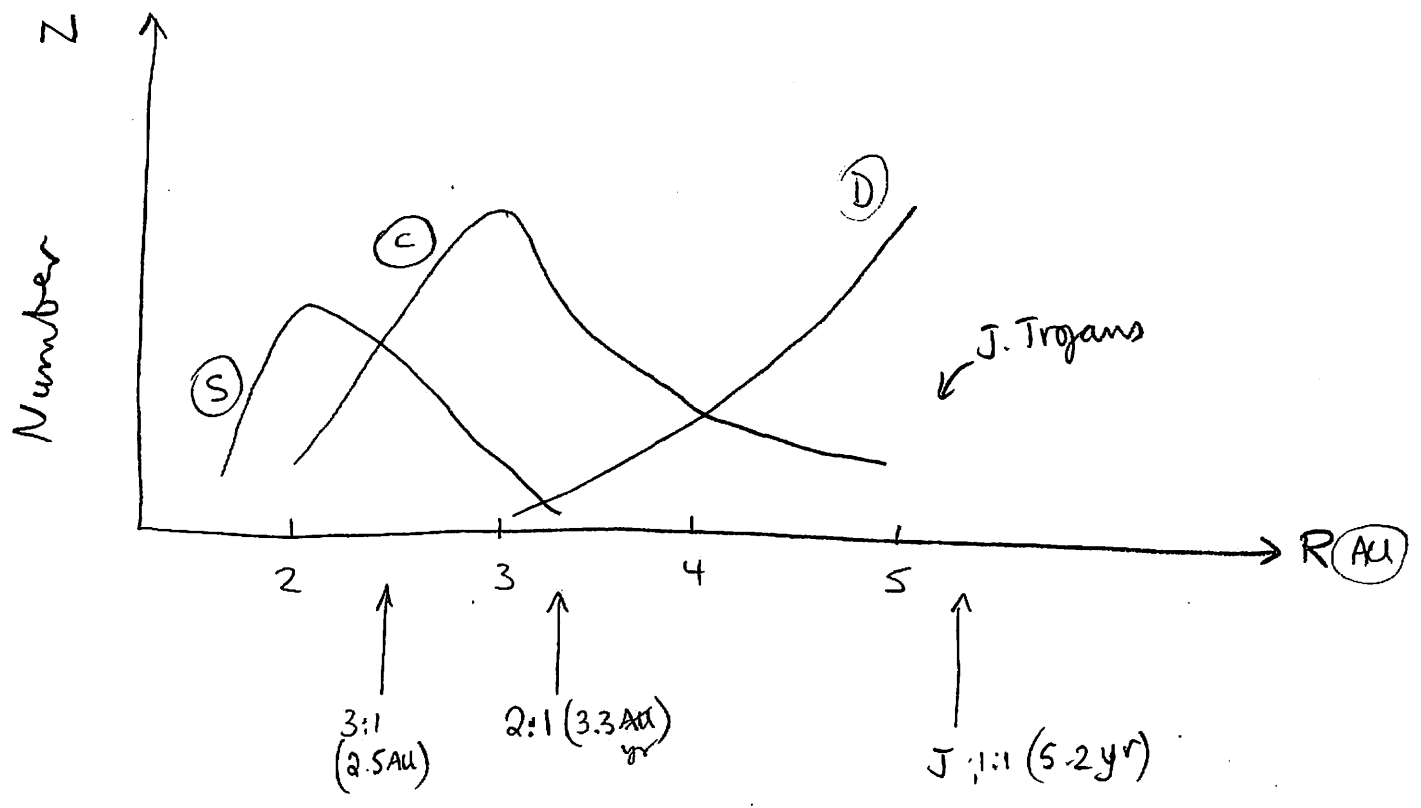
- Asteroid spectra can be grouped into "spectral classes", based on color (c.f. Tholen's taxonomy system).
- Over time, more complicated taxonomies also involving albedo and IR colors have been used, but they don't yet add much to change the taxonomy.

S - type 'reddish' $S' \sim 10\% / 1000\text{\AA}$, $p_v \sim 0.15 - 0.25$

C - type 'neutral' $S' \sim 0 - 5\% / 1000\text{\AA}$, $p_v \sim 0.04 - 0.07$

D - type 'very red' $S' \sim 10 - 20\% / 1000\text{\AA}$, $p_v \sim 0.04$

⊙ Asteroids in various classes have different orbital distributions. (Gradie + Tedesco 1982)

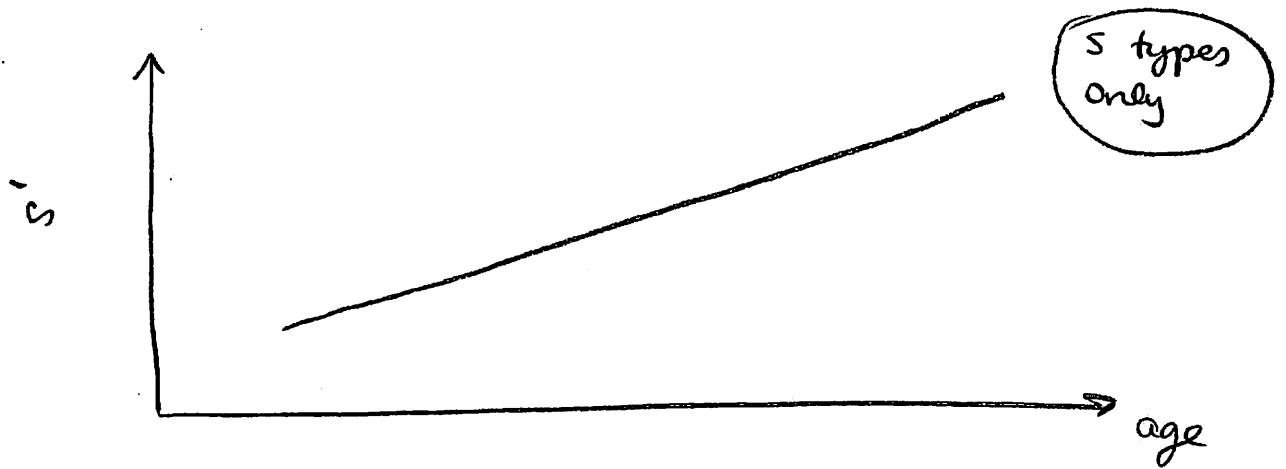


⊙ The inner belt ($R \sim 2 \text{ AU}$) is the most strongly dynamically coupled to the Earth + should be the source of most meteorites.

BUT the most common meteorites (chondrites) do not spectrally look like S types. Why not?

Weathering?

Recently, asteroid age estimates have been made from families - disrupted asteroids.



(Willman et al 2010)

Model fit i) not consistent w/ one darkening/reddening agent

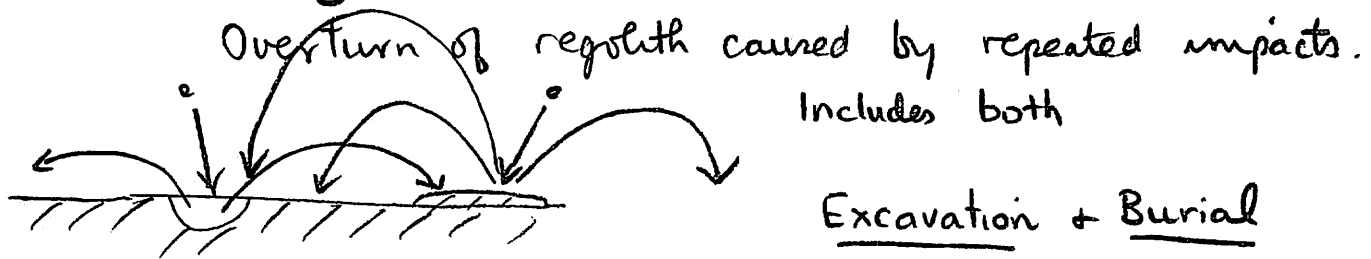
ii) timescales $\tau_1 \sim 1.0 \pm 0.2$ Gyr (sol. wind)

$\tau_2 \sim 2.0 \pm 0.3$ Gyr (impact gardening?)

$$\tau_1 @ 1 \text{ AU} \sim \frac{1.0}{2^2} \sim 250 \pm 50 \text{ Myr}$$

τ_2 not so easy to scale to 1 AU

Gardening



① Gardening timescale $t_g \sim 4 \text{ Gyr}$ @ $d \sim 4 \text{ m}$
on the Moon

② $t_g \propto d$, roughly (Shoemaker et al 1970)

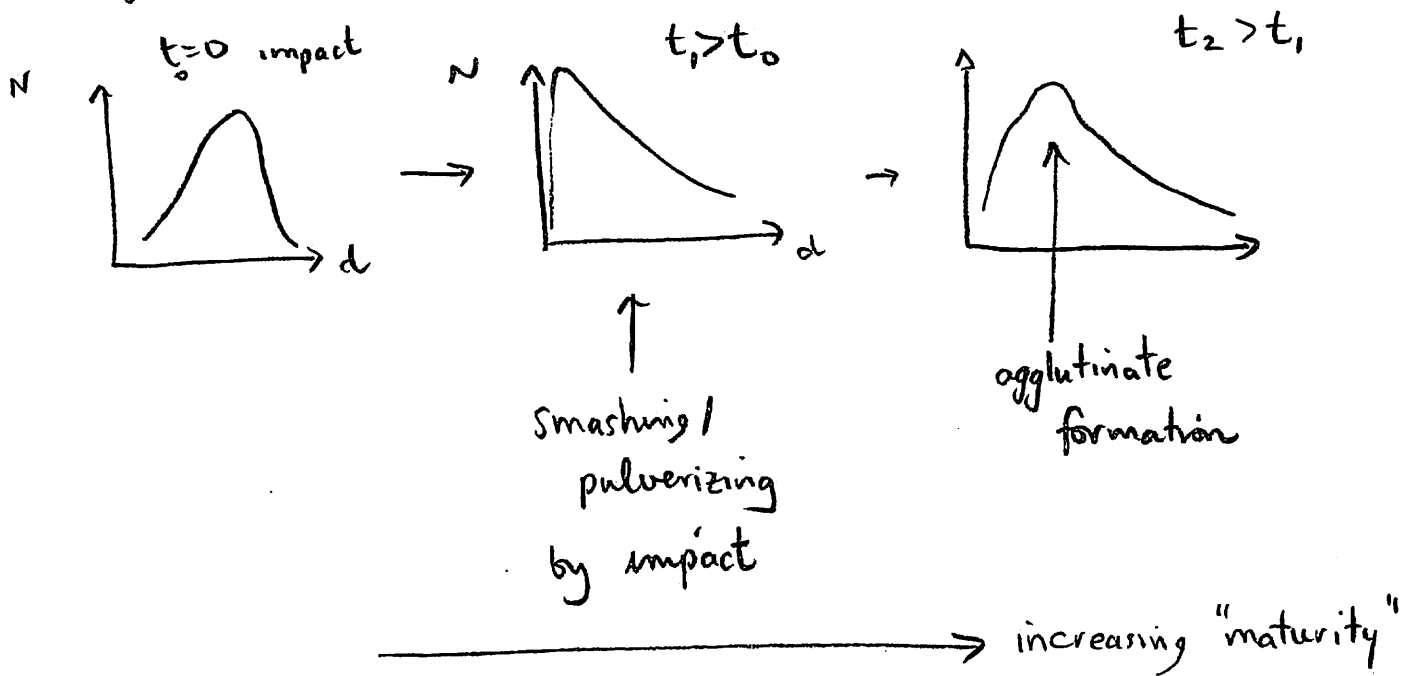
(eg: @ $d \sim 1 \text{ m}$, $t_g \sim 1 \text{ Gyr}$; $d \sim 10 \text{ cm}$, $t_g \sim 100 \text{ Myr}$)

③ Grains in the upper mm of the regolith have
 $t_g \sim 1 \text{ Myr}$.

④ Space weathering can compete with gardening
if it can change albedo or color faster than
gardening.

Regolith

Regolith size distribution is a function of age.



Data give

$$n(a) da = \Gamma a^{-q} da$$

with $n(a) da = \# \text{ grains radius } a \rightarrow a+da$, Γ, q constants.

Roughly, $q \sim 4$.

Median Grain Size weighted by Mass

Require

$$\int_{a_{\min}}^{a_{\max}} \frac{4}{3} \pi \rho a^3 n(a) da \equiv \frac{1}{2} \int_{a_{\min}}^{a_{\max}} \frac{4}{3} \pi \rho a^3 n(a) da$$

$$\int_{a_{\min}}^{a_{\max}} \frac{da}{a} = \frac{1}{2} \int_{a_{\min}}^{a_{\max}} \frac{da}{a}$$

$$\ln\left(\frac{a_m}{a_{\min}}\right) = \frac{1}{2} \ln\left(\frac{a_{\max}}{a_{\min}}\right)$$

$$\begin{aligned} a_m &= a_{\min} \sqrt{\frac{a_{\max}}{a_{\min}}} \\ &= \sqrt{a_{\max} a_{\min}} \end{aligned}$$

eg: $a_{\max} \sim 1 \text{ mm} = 1000 \mu\text{m}$, $a_{\min} \sim 5 \mu\text{m}$ (smaller particles stick to others)

then $a_m \sim \sqrt{5000} \sim 70 \mu\text{m} \approx 0.07 \text{ mm}$

Median Grain Size Weighted by Area (more relevant for optics)

$$\int_{a_{\min}}^{a_m} \pi a^2 n(a) da = \frac{1}{2} \int_{a_{\min}}^{a_{\max}} \pi a^2 n(a) da$$

assume
geometric
for now

$$\int_{a_{\min}}^{a_m} \frac{da}{a^2} = \frac{1}{2} \int_{a_{\min}}^{a_{\max}} \frac{da}{a^2}$$

$$\frac{1}{a_m} - \frac{1}{a_{\min}} = \frac{1}{2} \left[\frac{1}{a_{\max}} - \frac{1}{a_{\min}} \right]$$

$$\frac{2}{a_m} = \frac{1}{a_{\max}} + \frac{1}{a_{\min}} = \left(\frac{a_{\max} + a_{\min}}{a_{\max} a_{\min}} \right)$$

$$\text{or } a_M = \frac{2 a_{\max} a_{\min}}{a_{\max} + a_{\min}}$$

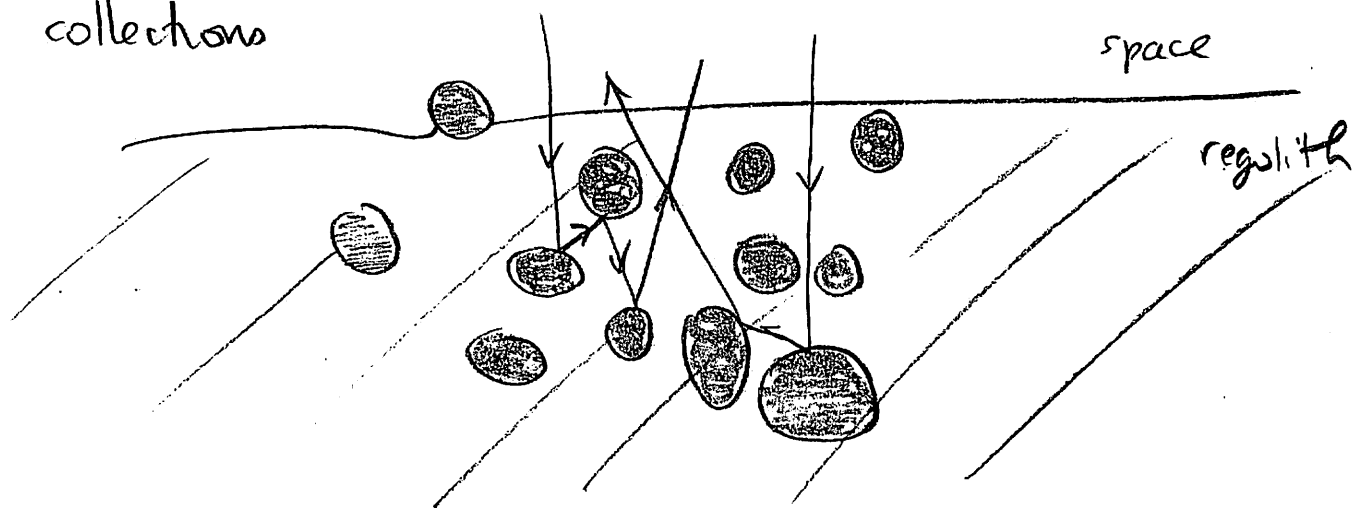
$$\sim 2 a_{\min} \quad (\text{for } a_{\max} \gg a_{\min}, a_{\max} + a_{\min} = a_{\max})$$

eg.

$$a_M \sim 10 \mu\text{m}$$

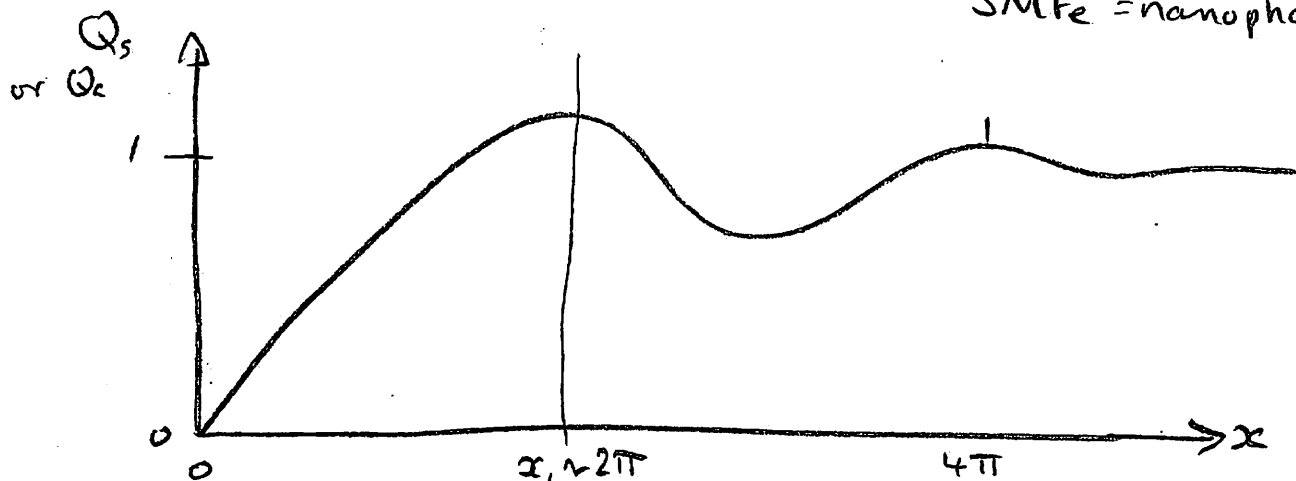
This is still optically large ($\frac{a_M}{\lambda} \gg 1$ for $\lambda = \text{optical} = 0.6 \mu\text{m}$).

For this reason, rough optical properties have usually been tied to multiple scattering in optically large particle collections



Hapke & others have argued, instead, that key aspects are nevertheless controlled by $a/\lambda \ll 1$ particles in the form of SMFe (Sub-micron Metallic Iron), also known as "nanophase iron."

SMFe = nanophase Fe



$x \ll x_1 \Rightarrow$ Rayleigh limit. All particles feel the same electric field as the EM wave goes by.

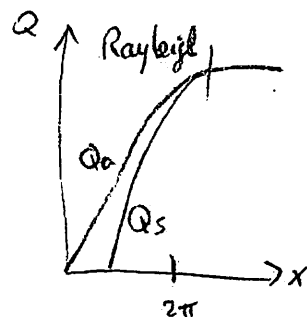
In Rayleigh limit

$$Q_a = \frac{8\pi a}{\lambda} \text{Im} \left(\frac{m^2 - 1}{m^2 + 1} \right)$$

~ Imaginary part

$$Q_s = \frac{128}{3} \pi^4 \left(\frac{a}{\lambda} \right)^4 \left| \frac{m^2 - 1}{m^2 + 2} \right|^2$$

← modulus



$Q_s \propto x^4$ + $x < 2\pi \rightarrow Q_s$ v. small of

$Q_a \propto x$

Small absorbing particles have cross section $\propto \frac{\pi a^2}{\lambda} \propto \frac{V}{\lambda}$

(small)
So blue wavelengths are attenuated more than
red (long) in the particles

$Q_a \propto \frac{1}{\lambda}$ gives red slope in mature soils

due to nanophase iron particles each in the Rayleigh limit.

Note; if $\text{Im}(\) = 0$, as is nearly true for air, then $Q_s \propto x^4$ still dominates, and the scattered light is blue (like the sky).

Nanophase Fe a) Impacts

Production simulated by laser heating (Sho Sasaki et al)

$$\left. \begin{array}{l} \text{1 } \mu\text{m} \\ \downarrow \\ v \sim 10 \text{ km s}^{-1} \end{array} \right\} t \sim \frac{10^{-6}}{10^4} \sim 10^{-10} \text{ s} = \underline{0.1 \text{ nsec}}$$

Need very rapid laser flash. (7 ns was used)

Result - darkening, reddening due to nanophase iron is observed, with $E \sim \underline{2.4 \times 10^5 \text{ J m}^{-2}}$

Micrometeorite impact rate is $f \sim 10^{-4} \text{ m}^{-2} \text{ s}^{-1}$ for $a = 1 \mu\text{m}$

$$\left. \begin{array}{l} m \sim \rho a^3 \sim 10^{-15} \text{ kg} \\ \text{if } v \sim 20 \text{ km/s} \sim 2 \times 10^4 \end{array} \right\} E \sim \frac{10^{-15} (2 \times 10^4)^2}{2}$$

$$E \sim 2 \times 10^{-7} \text{ J}$$

$$\begin{aligned} \therefore \text{Energy flux } \dot{E}_m &\sim f E \sim 2 \times 10^{-7} \times 10^{-4} \sim 2 \times 10^{-11} \text{ J s}^{-1} \text{ m}^{-2} \\ &\sim 6 \times 10^{-4} \text{ J yr}^{-1} \text{ m}^{-2} \end{aligned}$$

$$\text{So } \tau \sim \frac{E}{\dot{E}_m} \sim \frac{2.4 \times 10^5}{6 \times 10^{-4}} \sim \underline{4 \times 10^8 \text{ yr}}$$

Comparable to ray darkening times, so maybe

this is plausible (BUT efficiency of impact weathering is unknown).

Nanophase Fe b) Solar Wind

Solar wind density $N_1 \sim 10^6 \text{ m}^{-3}$
Speed $V_{sw} \sim 500 \text{ km s}^{-1}$

Composition protons & electrons

Energy flux $\dot{E}_{sw} \sim \underbrace{N_1}_{\text{m}^{-3}} \underbrace{V_{sw}}_{\text{m s}^{-1}} \left(\frac{1}{2} m_H V_{sw}^2 \right) \propto V_{sw}^3$

$\sim 1.67 \times 10^{-27} \times 10^6 \times (5 \times 10^5)^3$

$\sim 2 \times 10^{-4} \text{ J s}^{-1} \text{ m}^{-2}$

or $\dot{E}_{sw} \sim \underline{6000} \text{ J yr}^{-1} \text{ m}^{-2}$

MUCH larger than \dot{E}_m (by factor of 10^7 !)

Therefore, solar wind could be $10^7 \times$ less efficient but still have the same optical effect as impact weathering.

Swirls

- ④ Structured albedo markings on Moon w/ no topographic expression
- ④ Prototype = Reiner Gamma
- ④ Are spatially correlated w/ local B fields
- ④ Might be preferentially located at basin antipodes.

Ideas

- ① Sites of comet impact. Impact magnetizes rock + coma creates the swirl.
- ② Caused by charged particle interaction w/ surface
- ③. Caused by electrostatic dust transport, modulated by local B field + with compositionally distinct smaller grains being higher albedo + more mobile.

Swirls prove the action of solar wind in space weather = a role for space physics. Very valuable

but

no swirls found on Mercury (why not? B shielding?)

How do solar wind particles create nanophase iron?
Sputtering?